

## Conservation of Energy

Fall 2011

### Introduction

In this experiment, you will show that the kinetic energy of a projectile fired vertically is converted into potential energy.

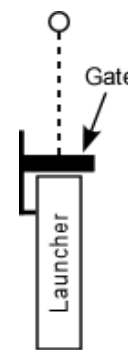
### Theory

The total mechanical energy of a projectile is given by the sum of its potential energy,  $U$ , and kinetic energy,  $K$ . If no external force acts on the system, the total energy is *conserved*. When a projectile is fired vertically, the initial  $U$  is zero, and the kinetic energy  $K = \frac{1}{2}mv_o^2$ , where  $m$  is the mass of the projectile. When the projectile reaches its maximum height,  $h$ , the final kinetic energy is zero, and  $U = mgh$ . Conservation of energy tells us that the final potential energy equals the initial kinetic energy.

### Experiment

#### I: Initial kinetic energy:

1. Measure and record the mass (in *grams* and *kilograms*) and diameter of the projectile. Use vernier calipers for your diameter measurement.
2. Secure the projectile launcher to the bench with a large clamp. Set the launch angle to  $90^\circ$  (vertical).
3. Attach the photogate bracket to the launcher; keep the gate as close to the end of the launcher as possible (*why is this necessary?*). Set the photogate timer to *gate, 0.1 ms* mode.
4. Put the projectile into the launcher, and use the ramrod to set it to the *short*-range position (any other setting will hit the ceiling!). Fire the launcher several times; the display shows the amount of time for the projectile to pass through a single photogate. Record the time for several trials (periodically check that the launcher angle does not change).

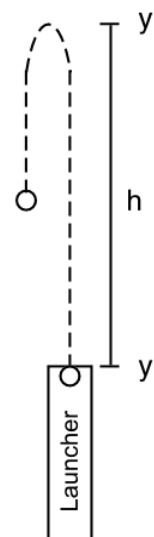


*Observe caution when firing the projectile!!*

5. Calculate the initial velocity of the projectile,  $v_o$ , from the diameter of the projectile, and the average of your times.
6. Calculate the initial kinetic energy of the projectile.

#### II: Final potential energy:

1. Remove the photogate, and place the launcher on the floor, next to the 2-*m* stick.
2. Adjust the 2-*m* stick so that a convenient mark (say, 10 *cm*), is aligned with the end of the launcher (*don't use the end of the meter stick!*). Call this position  $y_i$ .
3. Rest a pair of 2 *kg* masses on the base of the launcher (to help hold it in place). Again set the launcher to the *short*-range position, and fire the projectile *at least 10 times*, recording the uppermost position of the top of the ball,  $y_f$  (do your best to estimate within 0.5 *cm*). Calculate the height of the projectile:  $h = y_f - y_i$ .
4. From the *average* height the projectile achieves, calculate the final potential energy.



**Analysis**

1. Calculate the percent difference between the initial and final energies of the projectile.

**Discussion**

- Summarize your energy results.
- Was energy conserved? What might have affected the results?
- Was energy gained or lost? Which would you expect to occur? Why?