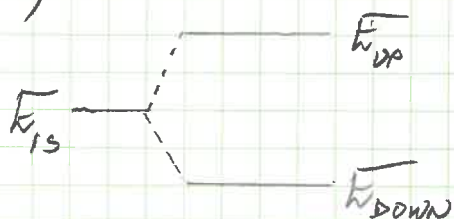


9.19) For H in the ground state in $B_z = 0.7T$, find

a) ENERGY DIFFERENCE BETWEEN SPIN-UP & SPIN-DOWN STATES

b) E_{PHOTON} , λ_{PHOTON} TO EXCITE e^- FROM LOWER TO UPPER STATE

a) $B=0$ $B=0.7T$



THE ENERGY CHANGE IN $B \neq 0$ IS

$$\Delta E = \pm \frac{e\hbar}{2m_e} B = \pm \mu_B B \quad (9.27)$$

THUS, THE ENERGY OF THE SPIN-UP AND SPIN-DOWN STATES ARE

$$\Delta E_{\text{UP}} = E_{1s} + \mu_B B \quad \text{AND} \quad \Delta E_{\text{DOWN}} = E_{1s} - \mu_B B$$

THE ENERGY DIFFERENCE BETWEEN THEM IS

$$\Delta E_{\text{UP-DOWN}} = E_{\text{UP}} - E_{\text{DOWN}} = 2\mu_B B$$

FOR $\mu_B = 5.79 \times 10^{-5} \frac{\text{eV}}{T}$ AND $B = 0.7T$

$$\Delta E_{\text{UP-DOWN}} = 2(5.79 \times 10^{-5})(0.7) = \boxed{8.12 \times 10^{-5} \text{ eV} = \Delta E_{\text{UP-DOWN}}}$$

b) A PHOTON TO EXCITE AN e^- FROM SPIN-DOWN TO SPIN-UP IS

$$\lambda = \frac{hc}{\Delta E_{\text{UP-DOWN}}} = \frac{1240}{8.12 \times 10^{-5}} = 1.53 \times 10^7 \text{ nm}$$

$$\lambda = 1.53 \text{ cm} \Rightarrow f = \frac{c}{\lambda} = \frac{3 \times 10^8}{1.53 \times 10^2} = 19.6 \text{ GHz}$$

\Rightarrow RADIO K-BAND PHOTON (KURZ, GERMAN FOR "SHORT")

e.g. WIKIPEDIA RADIO SPECTRUM PAGE, IEEE BANDS